

POLICY BRIEF

BUILDING A STATEWIDE SYSTEM TO SUPPORT EARLY CHILDHOOD PROGRAM INTEGRATION WITH COMPREHENSIVE SERVICES: A POLICY BRIEF FOR STATE LEADERS



INTRODUCTION

Early childhood programs are a critical component of a state's investment in its future. These programs provide a foundation for children's learning and development, and they play a vital role in supporting families and communities. As states seek to improve the quality of their early childhood programs, it is essential to consider how these programs can be integrated with comprehensive services to better support children and families.

WHY COMPREHENSIVE SERVICES CAN IMPROVE CHILD AND FAMILY WELLBEING

Comprehensive services, such as mental health, substance use treatment, and family support, can play a significant role in improving child and family wellbeing. These services address the underlying needs of children and families, which can lead to better outcomes in early childhood programs. For example, a child who is experiencing mental health issues may have difficulty learning and interacting with others in a classroom setting. Similarly, a family that is struggling with substance use may have difficulty providing a stable and nurturing environment for their children. By addressing these underlying needs, comprehensive services can help children and families thrive, which in turn supports the success of early childhood programs.

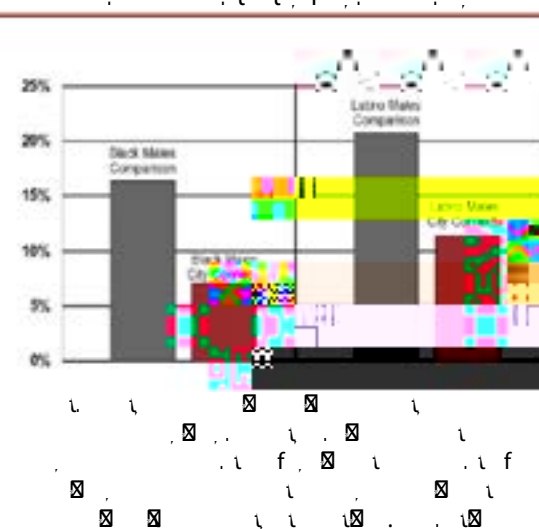


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4.

1. $f(x) = x^2 - 2x + 1$ 的图像是开口向上的抛物线，顶点在 $(1, 0)$ 。

2. $f(x) = x^2 - 2x + 1$ 的图像与 x 轴的交点为 $(1, 0)$ 。

3. $f(x) = x^2 - 2x + 1$ 的图像与 y 轴的交点为 $(0, 1)$ 。

4. $f(x) = x^2 - 2x + 1$ 的图像在 $x < 1$ 时是下降的，在 $x > 1$ 时是上升的。

5. $f(x) = x^2 - 2x + 1$ 的图像在 $x = 1$ 处取得最小值 0 。

6. $f(x) = x^2 - 2x + 1$ 的图像在 $x = 0$ 和 $x = 2$ 处与 x 轴相交。

7. $f(x) = x^2 - 2x + 1$ 的图像在 $x = 1$ 处与 y 轴相交。

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ACKNOWLEDGMENTS

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CITATION

[Redacted citation text]

The Center for Thriving Children advances science, implementation, and innovation to promote healthy child and youth development, learning, and thriving.



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